## Final Exam (1h, 30')

## Exercise N° 01: (7pts)

Three point charges:  $q_A = +4\mu C$ ,  $q_B = -10\mu C$  and  $q_D = -6\mu C$  are placed respectively on three points on (*Oy*) axis; *A*(-*a*); *B*(2*a*) and *D*(*a*), with *a* = 10 cm.

- 1- Calculate and represent the electric field vector at the origin O.
- 2- Calculate the electric potential in the origin.

Now; a fourth charge  $q_0 = -2nC$  is placed at the origin O.

- 3- Deduce the force vector acting on the charge  $q_0$ .
- 4- Find the potential energy of the charge  $q_0$ .

We give:  $K = \frac{1}{4\pi\varepsilon_0} = 9.10^9 Nm^2/C^2$ 

## Exercise N° 02: (7pts)

Consider a charge  $Q_1$  distributed on a rectilinear line of infinite length L with a uniform charge density  $\lambda > 0$ .

Another charge  $Q_2$  (where:  $Q_1 = -2Q_2$ ) distributed on the surface of a cylinder coaxial on the charged rectilinear line, we consider that, the cylinder has the same length L and a radius R (with R << L) and it charged with a uniform charge density  $\sigma$ .

- 1- Give the relationship between  $\sigma$  and  $\lambda$ .
- 2- Using Gauss's law; calculate the electric field as a function of  $(\lambda, r, R)$  and  $\varepsilon_0$  at any point "r" in space.
- 3- Knowing that  $V(R) = V_0$ , calculate the potential in the two regions: r < R and r > R.

## Exercise N° 03: (6pts)

I) Calculate the equivalent capacity between A and B.
Numerical application:

 $C_1 = 2nF$  and  $C_2 = 3nF$ 

II) Consider the opposite circuit.

Using Kirchhoff's laws; Calculate and represent (in the figure) the currents flowing through each branch.

Numerical application:  $R = 5\Omega$ ,  $E_1 = 20V$  and  $E_2 = 10V$ .



